Neutrino NSI in supernovae

Jim Kneller NC State University

with Gail McLaughlin,

Daavid Vaananen, Warren Wright,

CJ Stapleford, Sam Flynn,

Brandon Shapiro (Brandeis)



BSM Physics with neutrinos

 Neutrinos have been a great way of discovering Beyond the Standard Model physics.



- Neutrino mass and mixing are 'cracks' in the Standard Model:
 - what kind of mass, Dirac or Majorana
 - is there large CP violation in the leptons,

- Many terrestrial experiments looking for further BSM neutrino physics are underway / under construction / being planned / proposed, including at ORNL.
- Determining the properties of neutrinos in terrestrial experiments is hard.
 - neutrinos interact so weakly, few will be detected and interactions must be found among significant backgrounds
- Neutrinos cannot hide in environments where Nature pushes the envelope of density, temperature, etc.
 - these environments don't exist on Earth.
- A complimentary approach to study neutrino properties is to go to astrophysical environments.
- Given their importance to the explosions of massive stars, supernovae are the ultimate neutrino experiment.

Non-standard interactions

- Consider new, Non-Standard Interactions (NSI), of neutrinos with matter in supernovae.
 - see Amanik, Fuller and Grinstein, Astropart. Phys. **24** 160 (2005)
 - Amanik and Fuller, PRD **75** 083008 (2007)
 - Esteban-Pretel, Tomas and Valle, PRD **76** 053001 (2007)
 - Blennow, Mirizzi and Serpico, PRD **78** 113004 (2008)
 - Esteban-Pretel, Tomas and Valle, PRD **81** 063003 (2010)
 - Stapleford et al, PRD **94** 093007 (2016)

. .

 NSI will alter the location of the neutrinosphere but, more interestingly, the flavor evolution beyond it. Neutrino flavor oscillations are a quantum mechanical problem and can be described by the von Neumann equation.

$$i\frac{d\rho}{dr} = [H, \rho]$$

$$H = H_V + H_{SI} + H_{MSW} + H_{NSI}$$

- The first three, SM, terms are:
 - The vacuum (kinetic energy) term,
 - The neutrino self-interaction term,
 - The MSW term.
- The MSW term is

$$H_{MSW} = \sqrt{2} G_F n_e$$

• where n_e is the net electron density.

If we allow NSI with electrons, up and down quarks then

$$H_{NSI} = \sqrt{2} G_F \sum_f n_f \epsilon^f$$

- The ε's are matrices.
- We replace the number density $n_f = Y_f n_N$ where Y_f is the fermion fraction and n_N is the nucleon density.
 - for the up quarks $Y_u = 1+Y_e$,
 - for down quarks $Y_d = 2-Y_e$.
- The NSI Hamiltonian can be written as

$$H_{NSI} = \sqrt{2}G_F n_N \left(Y_e \epsilon^e + (1+Y_e)\epsilon^u + (2-Y_e)\epsilon^d\right)$$

The NSI are functions of the composition of the matter.

 The model independent limits from Biggio et al. JHEP 903 139 (2009) are upon the combination

$$\epsilon^m = \sum_f \left(\frac{n_f}{n_e}\right) \epsilon^f$$

- In Earth like matter (equal protons and neutrons)

$$\begin{vmatrix} |\epsilon_{ee}| < 4.2 & |\epsilon_{e\mu}| < 0.33 & |\epsilon_{e\tau}| < 3.0 \\ |\epsilon_{\mu\mu}| < 0.068 & |\epsilon_{\mu\tau}| < 0.33 \\ |\epsilon_{\tau\tau}| < 21 \end{vmatrix}$$

In solar like matter (only protons and electrons!?)

$$\begin{vmatrix} |\epsilon_{ee}| < 2.5 & |\epsilon_{e\mu}| < 0.21 & |\epsilon_{e\tau}| < 1.7 \\ |\epsilon_{\mu\mu}| < 0.046 & |\epsilon_{\mu\tau}| < 0.21 \\ |\epsilon_{\tau\tau}| < 9.0 \end{vmatrix}$$

 If NSI are not to destroy the MSW solution for solar neutrinos then we can require that in the Sun

$$Y_{\odot} \delta \epsilon^{e} + (1 + Y_{\odot}) \delta \epsilon^{u} + (2 - Y_{\odot}) \delta \epsilon^{d} = 0$$

• where $\delta \epsilon = \epsilon_{ee} - \epsilon_{xx}$.

Using this constraint we rewrite the NSI potential as

$$H_{NSI} = \sqrt{2} G_F n_N \left(\frac{Y_{\odot} - Y_e}{Y_{\odot}} \delta \epsilon^n \quad (3 + Y_e) \epsilon_0 \right)$$

$$(3 + Y_e) \epsilon_0^* \qquad 0$$

• where $\delta \epsilon^n = 2 \delta \epsilon^d + \delta \epsilon^u$ and $\epsilon^u_{ex} = \epsilon^d_{ex} = \epsilon^e_{ex} = \epsilon_0$

The effect of NSI

• The total matter $H_M = H_{MSW} + H_{NSI}$ potential is

$$H_{M} = \sqrt{2} G_{F} n_{N} \begin{bmatrix} \begin{pmatrix} Y_{e} & 0 \\ 0 & 0 \end{pmatrix} + \begin{pmatrix} \frac{Y_{o} - Y_{e}}{Y_{o}} \delta \epsilon^{n} & (3 + Y_{e}) \epsilon_{0} \\ (3 + Y_{e}) \epsilon_{0}^{\star} & 0 \end{bmatrix}$$

It is possible for the matter potential to become negative.

$$Y_e + \delta \epsilon^n \left(\frac{Y_{\odot} - Y_e}{Y_{\odot}} \right) < 0$$

Solving for Y_e

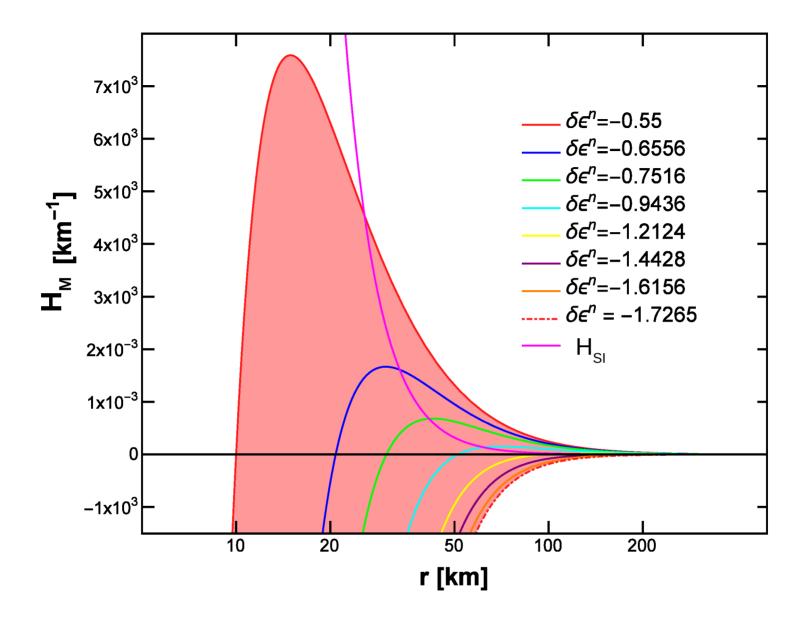
$$Y_e < \frac{-\delta \epsilon^n Y_{\odot}}{Y_{\odot} - \delta \epsilon^n} = Y_0$$

• In order for $Y_0 > 0$ we require $\delta \epsilon^n < 0$.

• If we set Y_0 and solve for $\delta \epsilon^n$ then

$$\delta \epsilon^n = \frac{-Y_0 Y_{\odot}}{Y_{\odot} - Y_0}$$

- If $Y_{\odot} = 0.7$ and $Y_{0} = 0.3$ then $\delta \epsilon^{n} = -0.5$ well within limits.
- Neutrinos are sensitive to the off-diagonal element, ϵ_0 , when $|\epsilon_0| \sim 10^{-5}$ or greater.



 As δεⁿ becomes more negative, the zero-crossing moves outwards and the potential maximum becomes smaller.

I Resonances

- Close to the zero-crossing of the potential, it is possible to have a new MSW resonance called an inner (I) resonance.
- I resonances occur in either neutrinos or antineutrinos or both.
- Since the zero-crossing can be close to the proto-neutron star, an I resonance can affect later flavor transformation.

- To explore the consequences we solve for the neutrino flavor evolution in a very simple model.
 - single energy, 20 MeV, two flavor: $|\delta m^2| = 2.4 \times 10^{-3} \text{ eV}^2$, $\theta = 9^\circ$
 - matter profile of the form

$$\sqrt{2} G_F n_N = \lambda_0 \left(\frac{r_0}{r}\right)^3$$

- $-\lambda_0 = 10^6 \text{ eV}, r_0 = 10 \text{ km}$
- self interaction of the form

$$H_{SI} = \mu_{\nu} (\rho - \alpha \bar{\rho}^*)$$

- α is the neutrino/antineutrino asymmetry set to 0.8
- self interaction strength follows

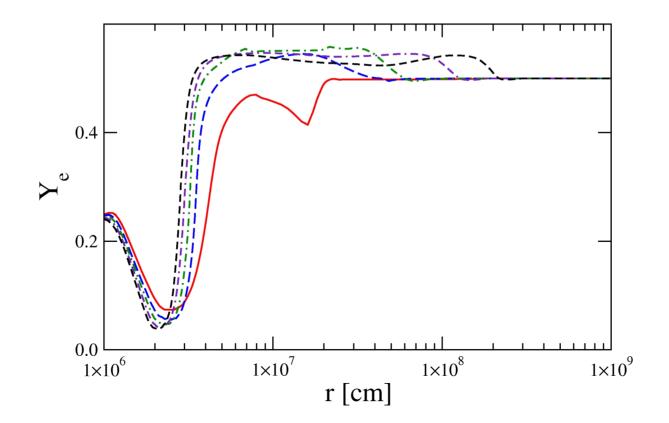
$$\mu_{\nu} = \mu_0 \left(\frac{r_0}{r}\right)^4$$

$$- \mu_0 = 10^6 \text{ eV}$$

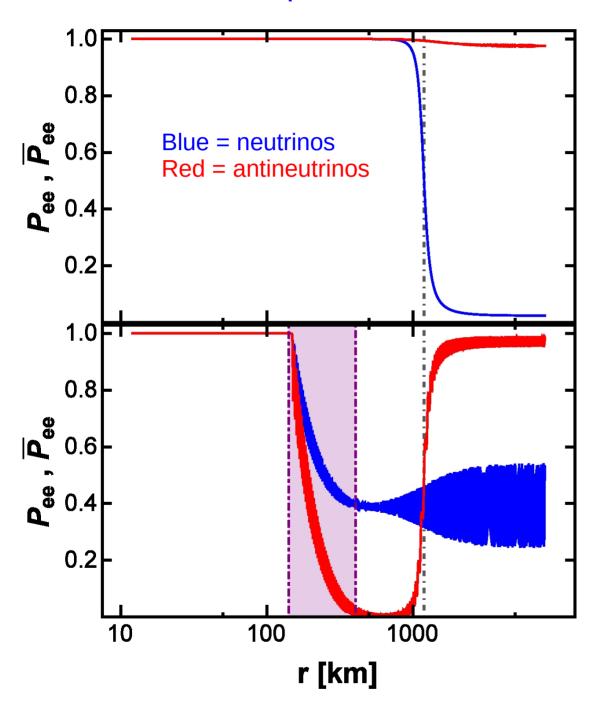
The electron fraction is taken to be

$$Y_e = a + b \tan^{-1} \left(\frac{r - r_0}{r_s} \right)$$

- which was used by Esteban-Pretel et al. PRD 81 063003 (2010)
- We use a = 0.308, b = 0.121, r_0 = 10 km, r_s = 42 km which are a fit to Y_e at t = 0.3 s from the Fischer et al 10.8 M_{\odot} simulation.



With the NSI parameters set to zero:



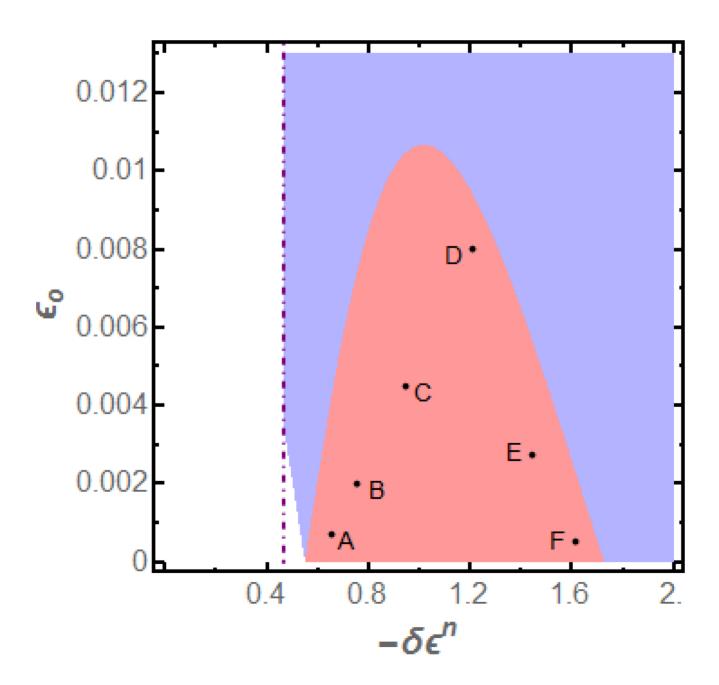
In the Normal Hierarchy:

- MSW H resonance at 1000 km

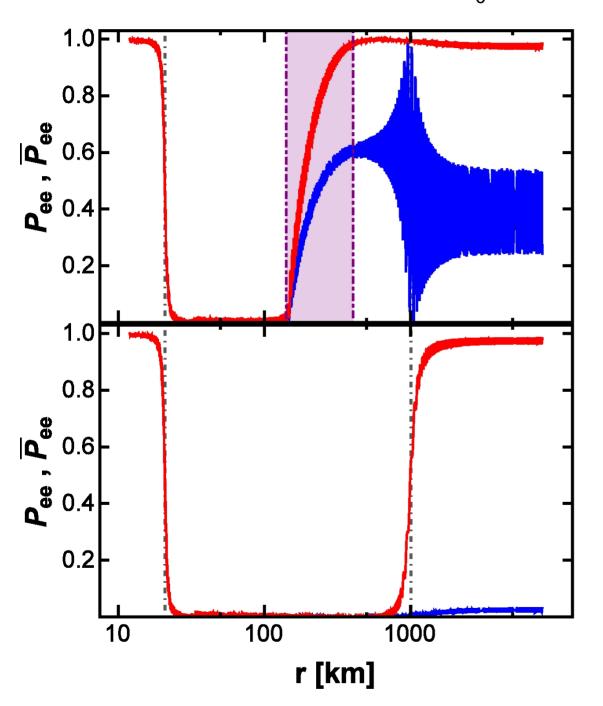
In the Inverted Hierarchy:

- Nutation/Bipolar beginning at 150 km
- MSW H resonance at 1000 km

• Lets sample a few points in the parameter space.



• Point A: $\delta \epsilon^n = -0.6556$, $\epsilon_0 = 0.0007$



In the Normal Hierarchy:

- I resonance at 20 km
- Bipolar transition at 150 km
- MSW H resonance at 1000 km

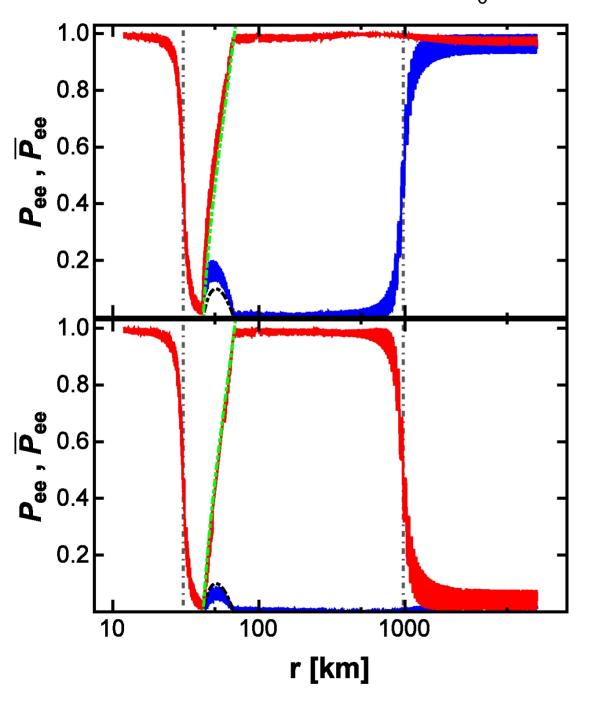
Compared to no NSI, a bipolar has appeared.

In the Inverted Hierarchy:

- I resonance at 20 km
- MSW H resonance at 1000 km

Compared to no NSI, bipolar has disappeared.

• Point B: $\delta \epsilon^n = -0.7516$, $\epsilon_0 = 0.002$



In the Normal Hierarchy:

- I resonance at 30 km
- Standard MNR at 40 km
- MSW H resonance at 1000 km

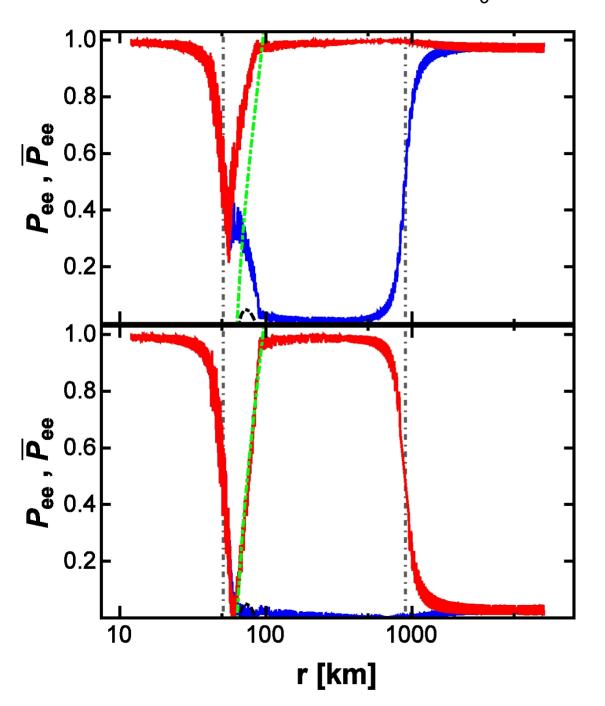
Compared to A, bipolar has disappeared, standard MNR has appeared.

In the Inverted Hierarchy:

- I resonance at 30 km
- Standard MNR at 40 km
- MSW H resonance at 1000 km

Compared to A, standard MNR has appeared.

• Point C: $\delta \epsilon^n = -0.9436$, $\epsilon_0 = 0.0045$



In the Normal Hierarchy:

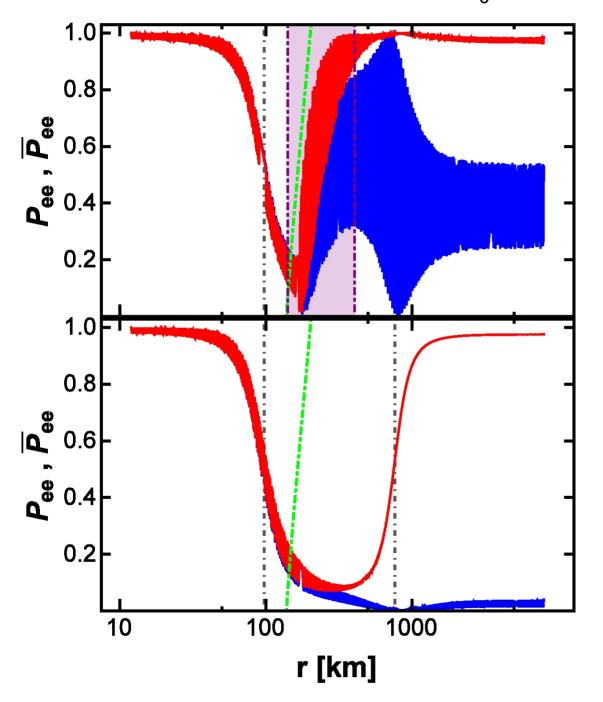
- partial I resonance at 50 km
- partial Standard MNR at 60 km
- MSW H resonance at 1000 km

Compared to B, the resonances are now partial.

In the Inverted Hierarchy:

- I resonance at 50 km
- Standard MNR at 60 km
- H resonance at 1000 km

• Point D: $\delta \epsilon^n = -1.2124$, $\epsilon_0 = 0.008$



In the Normal Hierarchy:

- I resonance at 100 km
- H resonance at 950 km
- bipolar at 150 km

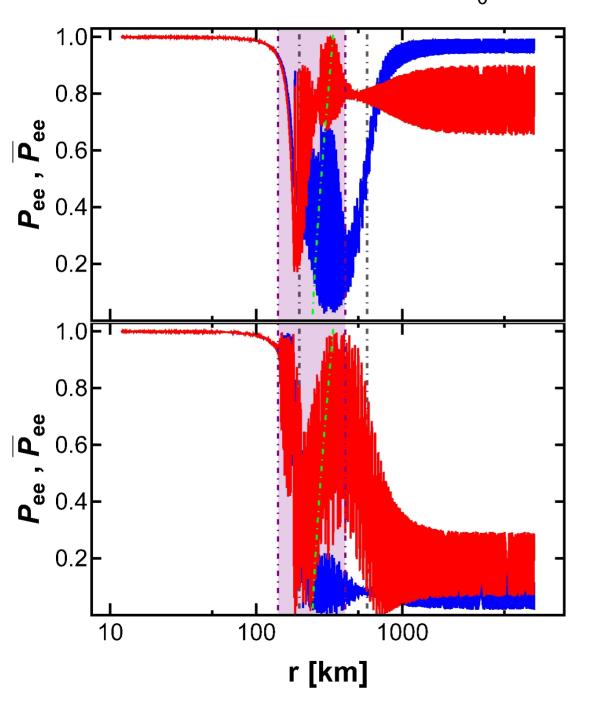
Compared to C, standard MNR disappears, bipolar returns, looks like case A.

In the Inverted Hierarchy:

- I resonance at 100 km
- H resonance at 950 km

Compared to C, Standard MNR disappears, also looks just like case A.

• Point E: $\delta \epsilon^n = -1.4428$, $\epsilon_0 = 0.00275$



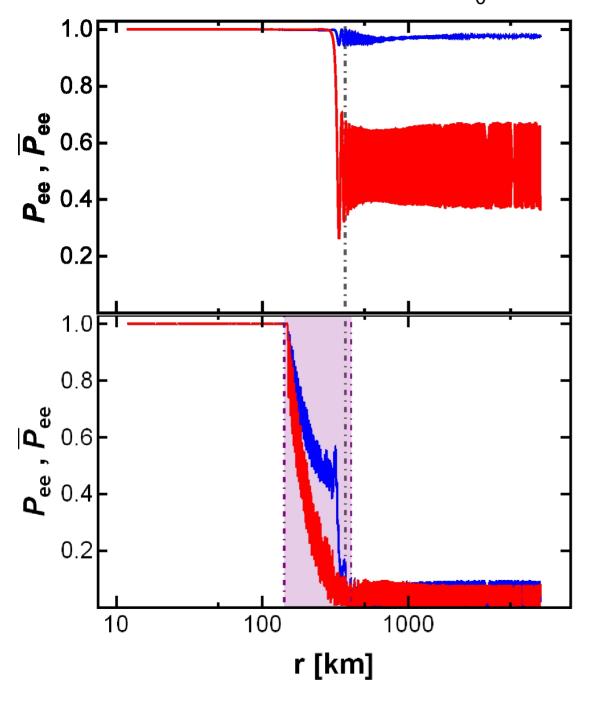
In the Normal Hierarchy:

- H resonance at 650 km
- ?

In the Inverted Hierarchy:

- H resonance at 650 km
- ?

• Point F: $\delta \epsilon^n = -1.6156$, $\epsilon_0 = 0.0005$



In the Normal Hierarchy:

 I resonance in antineutrinos only at 350 km

Compared to all previous figures, H resonance disappears

In the Inverted Hierarchy:

- bipolar at 150 km
- I resonance, for neutrinos only, at 350 km

Compared to all previous figures, H resonance disappears

- As a consequence of the NSI, new flavor transformation effects can occur:
 - I resonance complete swap of neutrinos and antineutrino flavors due to matter potential canceling vacuum Hamitlonian
 - standard MNR a cancellation between H_M and H_{SI} that occurs if there is a preceding I resonance.
 - symmetric MNR (small or not seen) cancellation between H_M and H_{SI}
 that can occur before the I resonance typically not adiabatic
- The Matter Neutrino Resonance has been previously seen in neutrinos from compact object mergers but not supernovae.

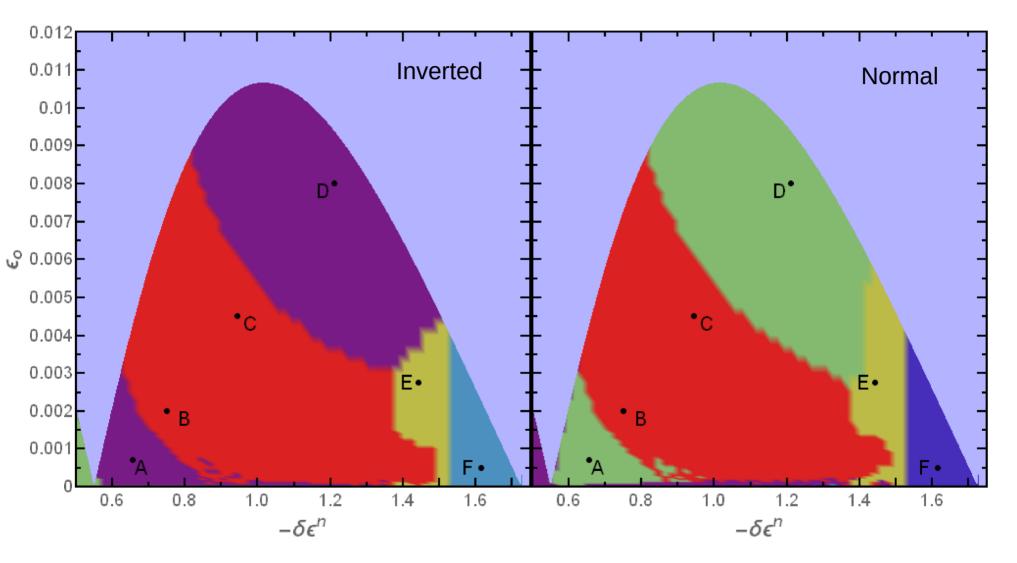
Malkus et al. PRD **86** 085015 (2012)

Malkus, Friedland and McLaughlin, arXiv:1403.5797

Vaananen and McLaughlin, arXiv:1510.00751

Wu, Duan and Qian, PLB **752** 89 (2016)

We can partition the parameter space into what effects occur.



 There is not one effect of NSI for supernova neutrinos, the parameter space is fragmented.

Summary

- Supernova neutrinos are sensitive to NSI within current bounds.
- In some regions of NSI parameter space the matter potential can become negative
 - this can occur without greatly modifying solar neutrinos
- A negative matter potential leads to an I resonance which:
 - can then interfere with usual flavor transformation effects,
 - can lead to a Standard MNR which is not possible in SM only
 - it can even remove the H resonance
- Changing the neutrino spectra so deep with the supernova has potential to alter the dynamics, signals and nucleosynthesis.